

## Question the Image Fraction Activity



***Are the fraction images students are presented with supporting their learning or impeding their understanding?***

This professional learning activity is meant to engage adults in conversation around the images used to teach and engage students in their fraction units of study.

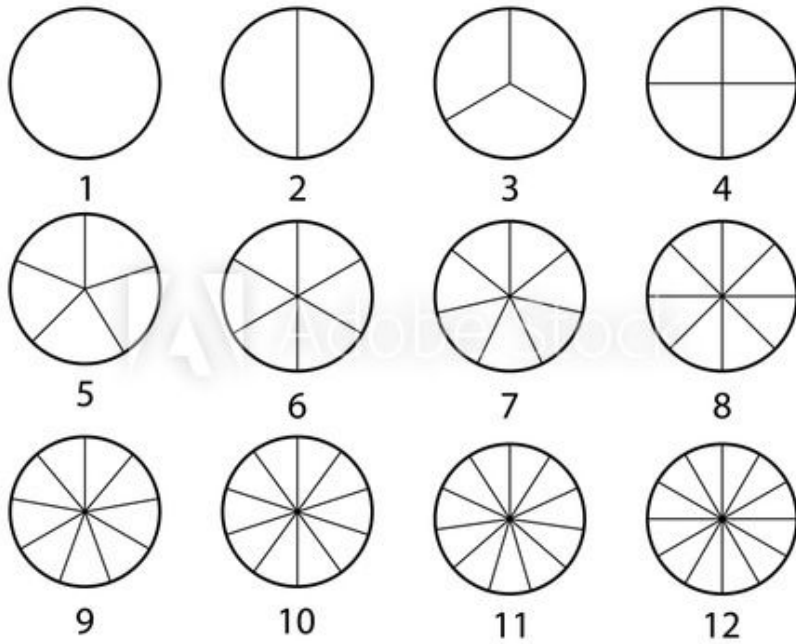
### Directions:

- Project or print a subset or all of the images provided for participants.
- Pose the question above and ask participants to engage in a think-pair-share.
  - Think: Independently consider your own answer to the question for each of the images.
  - Pair: With a partner or small group, engage in a conversation about the focus question in relation to the images.
  - Share: Whole-group discussion centered on the focus question.
- Additional questions:
  - What are the problematic aspects of the images?
  - Are there images like these in our instructional materials? How do we discuss them with students?
  - What are some ways to support students with fraction representations in daily lessons?

Image 1:



Image 2:



#302751944

Image 3:

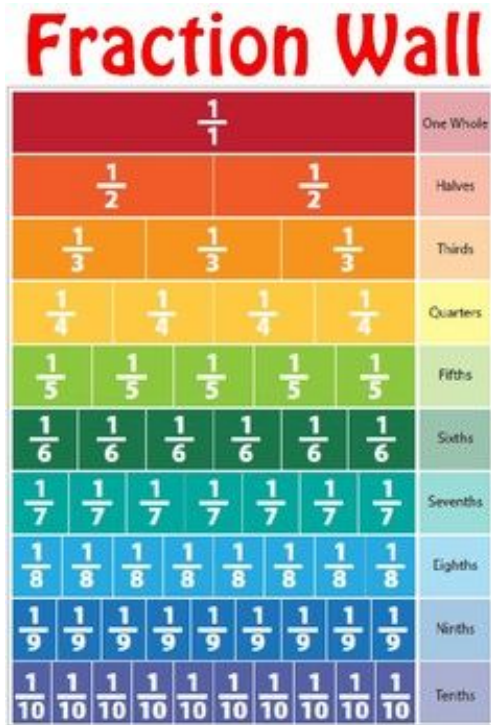
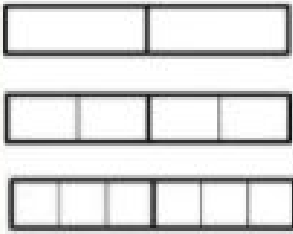


Image 4:



# Split Fractions

Image 5:

<b>Types of Fractions</b>	
<b>Proper Fractions</b>	
Numerator (top number) is smaller than Denominator (bottom number)	$\frac{1}{3}$ $\frac{5}{8}$
<b>Improper Fractions</b>	
Numerator is larger than Denominator	$\frac{7}{3}$ $\frac{4}{3}$
<b>Mixed Numbers</b>	
Whole number and a fraction	$3\frac{5}{7}$ $2\frac{4}{9}$

Image 6:



Image 7:

**DIVIDING FRACTIONS**

**KEEP**   **CHANGE**   **FLIP**

$\frac{1}{2} \div \frac{3}{4} =$

**KEEP** the same   **CHANGE** the sign   **FLIP** the Fraction (reciprocal)

$\frac{1}{2} \times \frac{4}{3} = \frac{4}{6} = \frac{2}{3}$

then follow multiplying step

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**IMPROPER FRACTION TO MIXED NUMBER**

Bigger Number on top →  $\frac{11}{3}$    set-up    $\frac{11}{3} \overline{) 11}$    Big Number goes in the house

$3 \overline{) 11} \begin{array}{r} 3 \\ \underline{-9} \\ 2 \end{array}$

MathFileFolderGames

## Discussion Points

Image	Things to Consider
1	Since numbers increase in magnitude from left to right on a number line, this image may be confusing to students because the magnitude of the shown numbers, from left to right, is decreasing. This presentation could lead to an assumption that $\frac{1}{2}$ is larger than 1 and $\frac{1}{4}$ is larger than $\frac{1}{2}$ , and so on.
2	Labeling each whole circle by a whole number of pieces rather than attending to the unit 1 and the number of pieces of 1 as drawn is simply confusing. Each image marked correctly as halves, thirds, fourths, etc., would help students understand that 1 is partitioned into smaller pieces, and the more pieces, the smaller the unit fraction.
3	Tracing directly down from $\frac{1}{1}$ , students see the unit fractions of $\frac{1}{3}$ , $\frac{1}{5}$ , $\frac{1}{7}$ , and $\frac{1}{9}$ in a column, yet these fractions are not equivalent. It is important for students to understand where the tick mark or end point of a fraction would be. $\frac{1}{1}$ would be at the end of the tape diagram; $\frac{4}{8}$ would be at the half mark, and $\frac{8}{8}$ would be in line with 1.
4	Using words like “split” and “double” when showing and discussing equivalent fractions contributes to misunderstanding about the size of fractions.
5	When the word “number” is used in a definition of numerator and denominator, it can lead students to think that fractions are a combination of two numbers instead of a number themselves. Additionally, the term “improper fraction” is misleading, and it would be better to call these “fractions greater than one.”
6	When students engage in activities that involve “new rules” to make the game true or possible, it can be confusing to them. The numbers 5 and 6 are whole numbers, but the graphic gives the appearance that since 5 pieces are shaded out of 6, the whole number cubes represent one fraction of $\frac{5}{6}$ . Additionally, what happens in an activity like the one depicted when the cubes create a number greater than 1?
7	Teaching and displaying a trick diminishes understanding and developing fraction concepts. When students understand fractions greater than one, they can describe and show $1\frac{1}{3}$ as $\frac{3}{3} + \frac{3}{3} + \frac{3}{3} + \frac{2}{3}$ or $3\frac{2}{3}$ instead of using a division algorithm.